

# *In silico* studies of the mutant protein causing cystic fibrosis

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[www.hegelab.org](http://www.hegelab.org)

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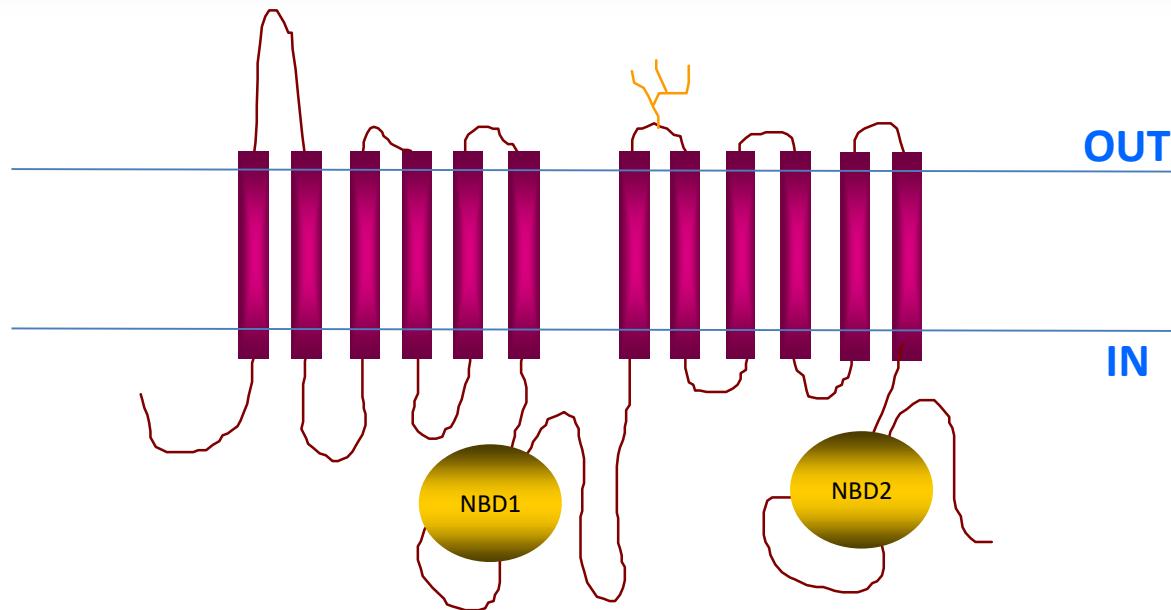
## FUNDING:

MTA Bolyai Fellowship

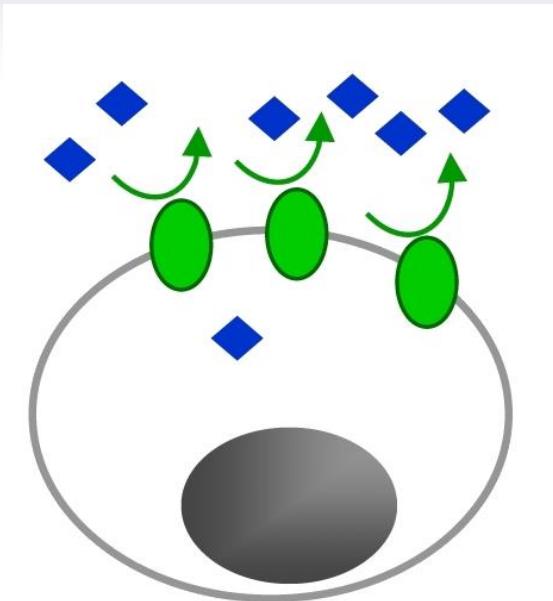
NKIFH K 111678

- NIIF HPC
- Wigner GPU laboratórium
- Barnaföldi Gergely
- Bartha Ferenc (Szeged)

# ABC (ATP Binding Cassette) transmembrane proteins



# Transport of xenobiotics and toxic molecules



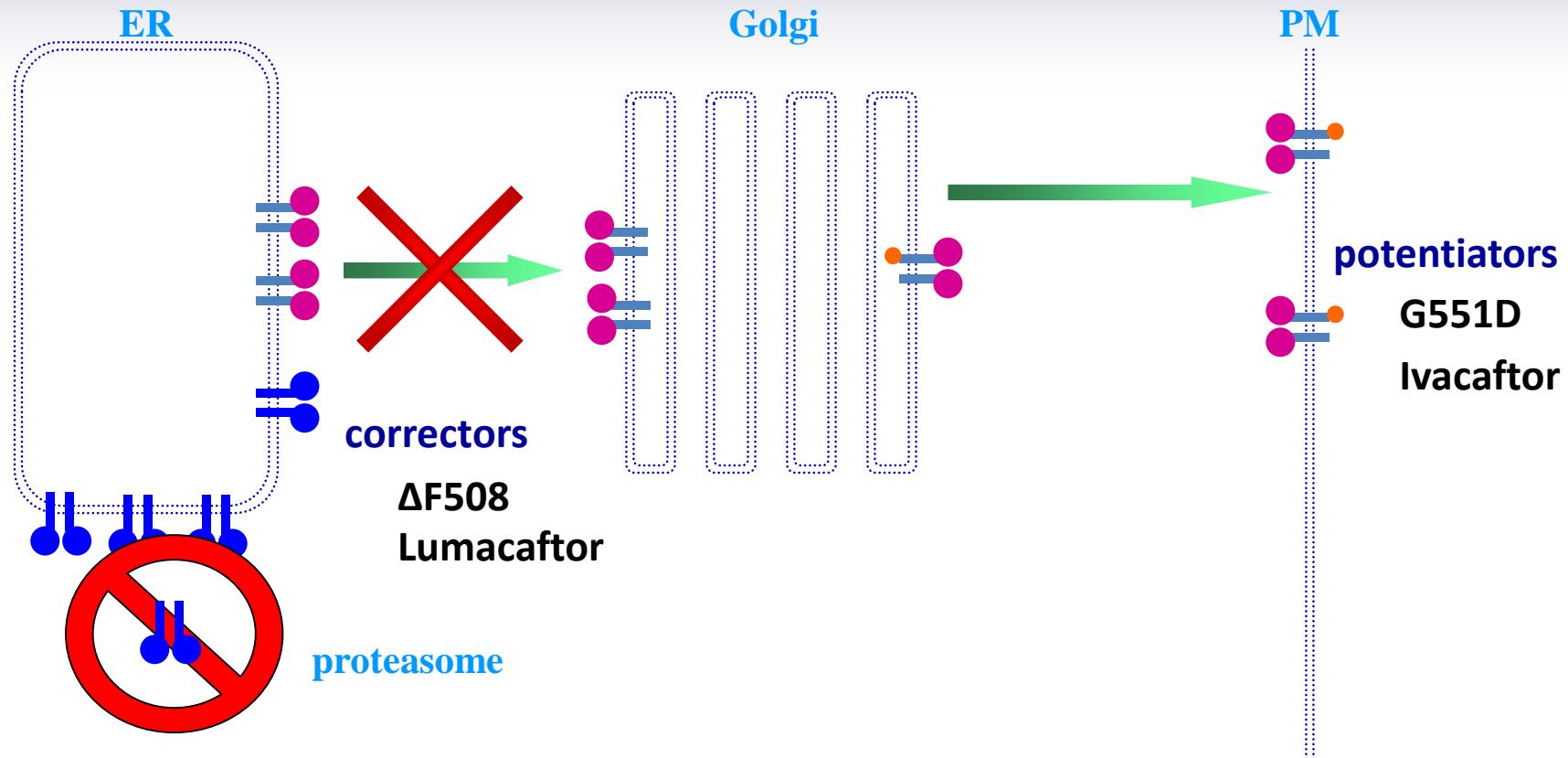
## Keywords:

- cancer multidrug resistance
- drug pharmacokinetics
- drug-drug interactions, etc.

# Cystic Fibrosis (CF)

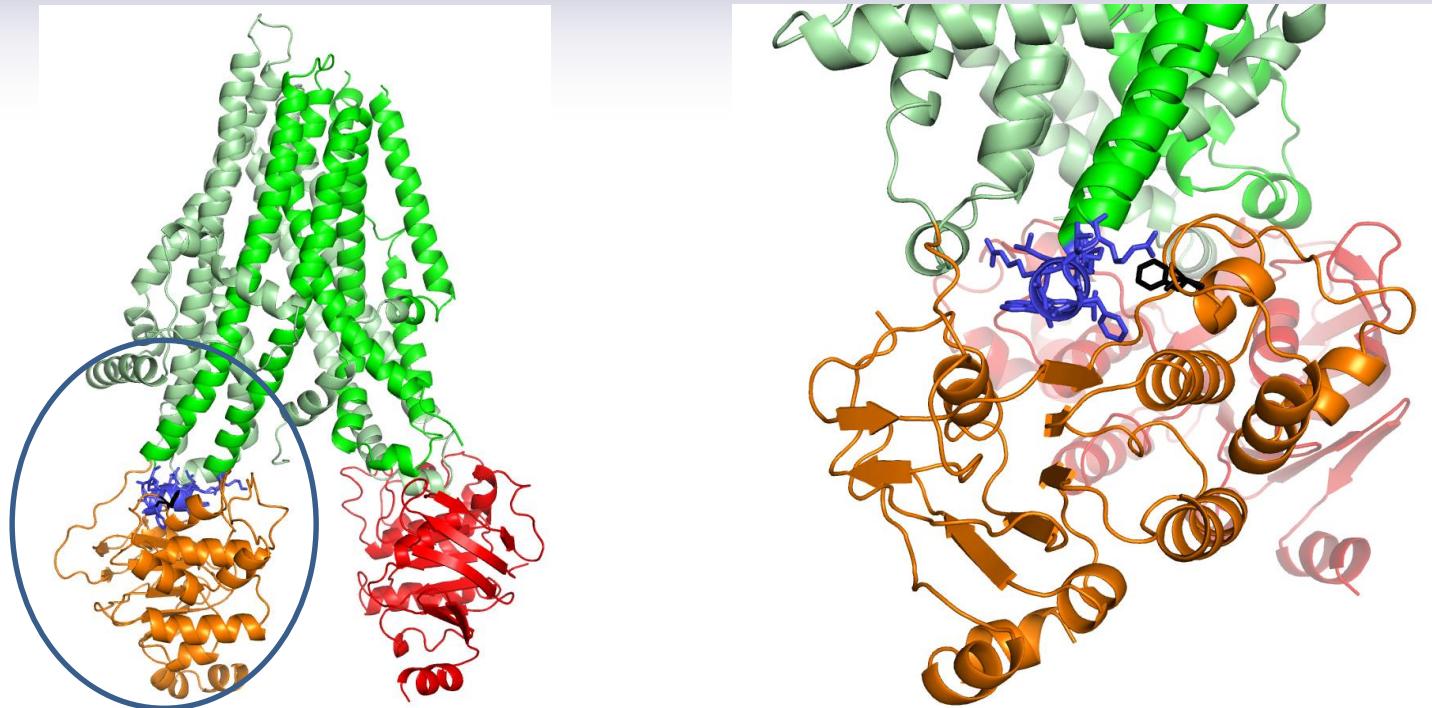
- **monogenic disease (~1:2,500)**
- **high mortality and morbidity**
- **affected water and salt homeostasis**
- **cloning the *cftr* gene:** Riordan *et al.* 1989 *Science* **245**:1066-73
- **over 2,000 mutations are known**
- **ΔF508 is present in over 80% of patients**

# Maturation of the CFTR protein



# Structural background of $\Delta F508$ *domain-domain interactions*

hCFTR (PDBID:5U71)



Du *et al.* Nat Struct Mol Biol. 2005 Jan;12(1):17-25.

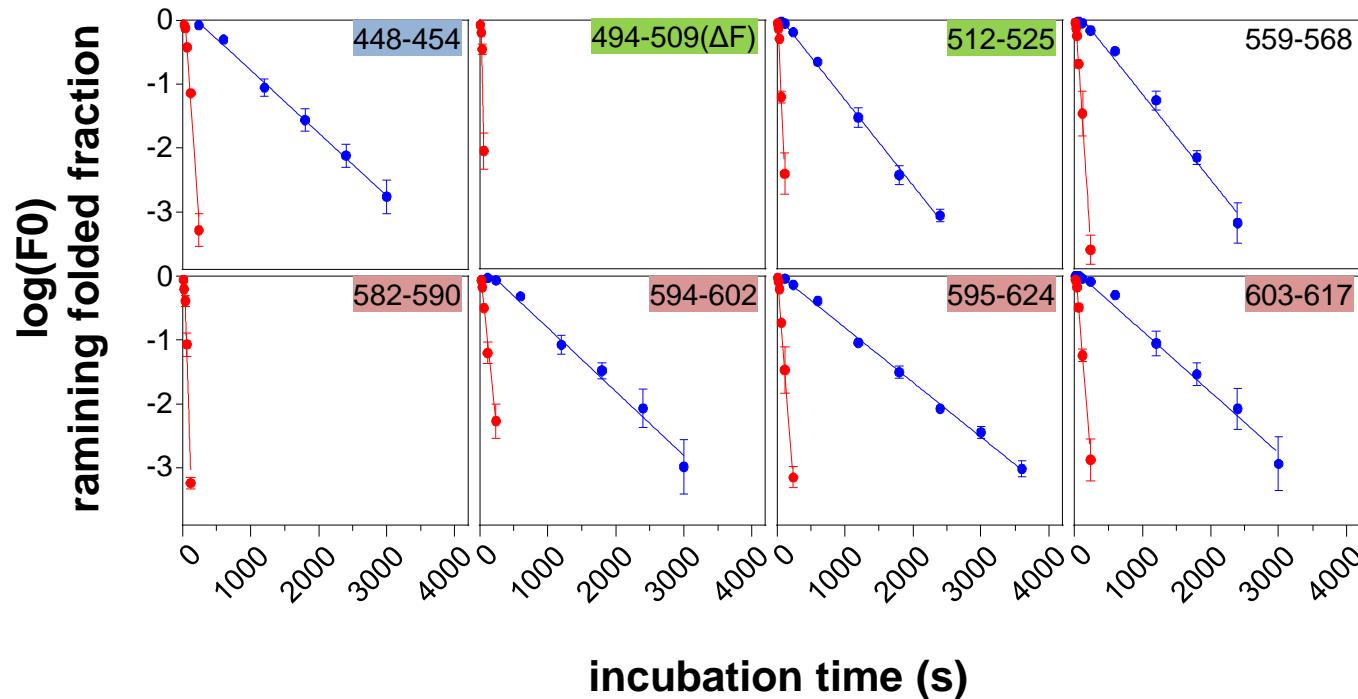
Serohijos *et al.* Proc Natl Acad Sci U S A. 2008 Mar 4;105(9):3256-61.

# Structural background of $\Delta$ F508

*folding and stability of NBD1*

NBD1

Experiment: Hydrogen-Deuterium Exchange (HDX)



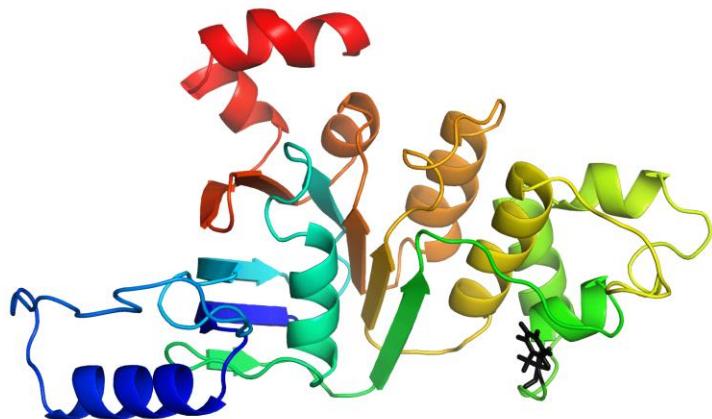
# *In silico* study of NBD1 destabilization

## 1. Molecular dynamics (MD) simulations

- WT and mutants
- 100-100 ns
- *all-atom force field*

## 2. Analysis of motions in NBD1

- correlations in motions (pairwise)
- building a graph
- analysis of the graph



# Correlation in motions

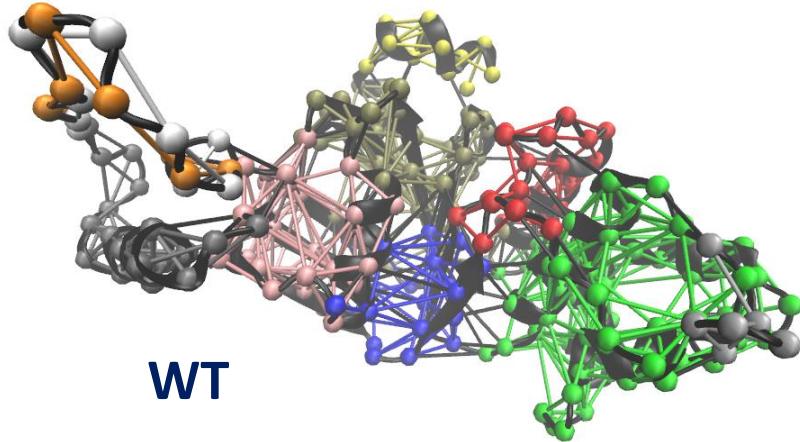
Nodes: amino acids

Edges:

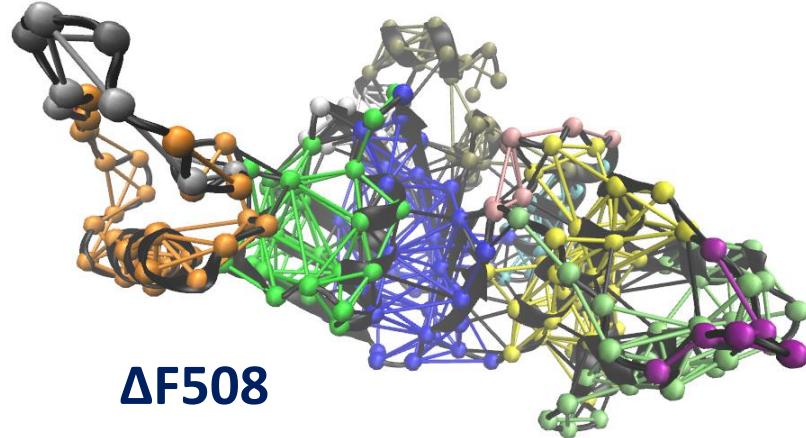
- displacement Vector Correlation Coefficient
- Contact over 75% throughout the simulation

$$VCC = \frac{\langle (A - \langle A \rangle)(B - \langle B \rangle) \rangle}{\sqrt{\langle (A - \langle A \rangle)^2 \rangle \langle (B - \langle B \rangle)^2 \rangle}}$$

Community analysis (e.g. critical nodes)



WT



ΔF508

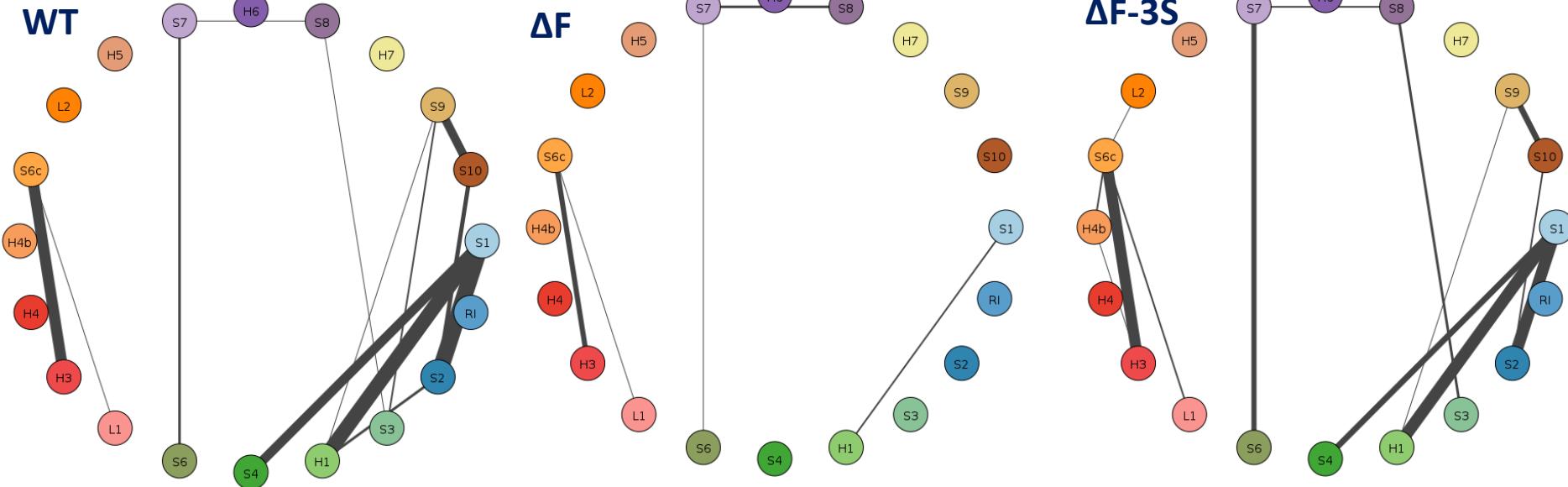
# Distance Correlation Coefficient

G. J. Szekely et al. (2007), Annals of Statistics, 35 (6): 2769–2794.

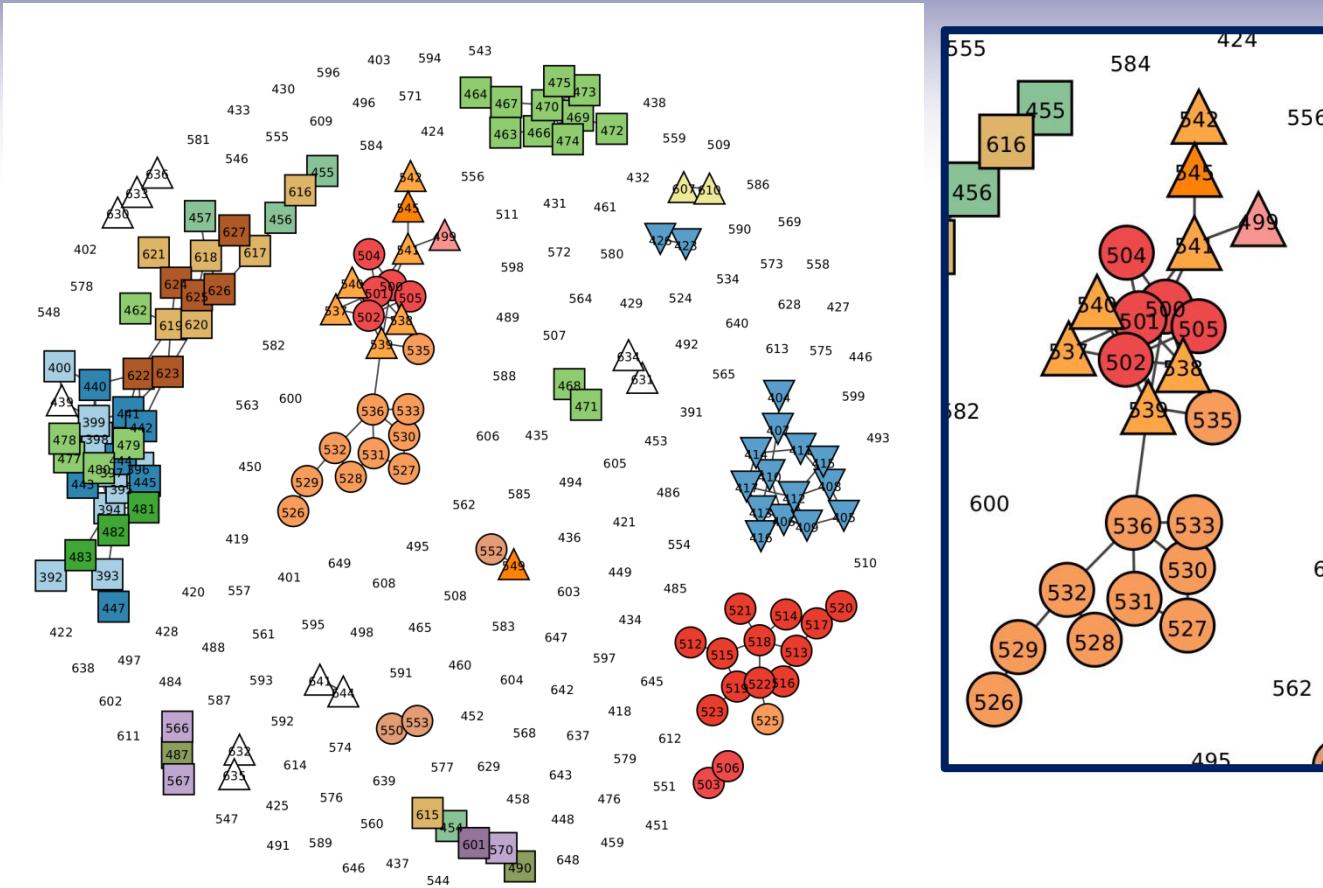
$$\text{DiCC} = \frac{\nu(\mathbf{A}, \mathbf{B})}{\sqrt{\nu(\mathbf{A}, \mathbf{A})\nu(\mathbf{B}, \mathbf{B})}}$$

**Nodes:** secondary structural elements  
**Edges:** if DiCC > 0.85

**Edges:** if DiCC > 0.85



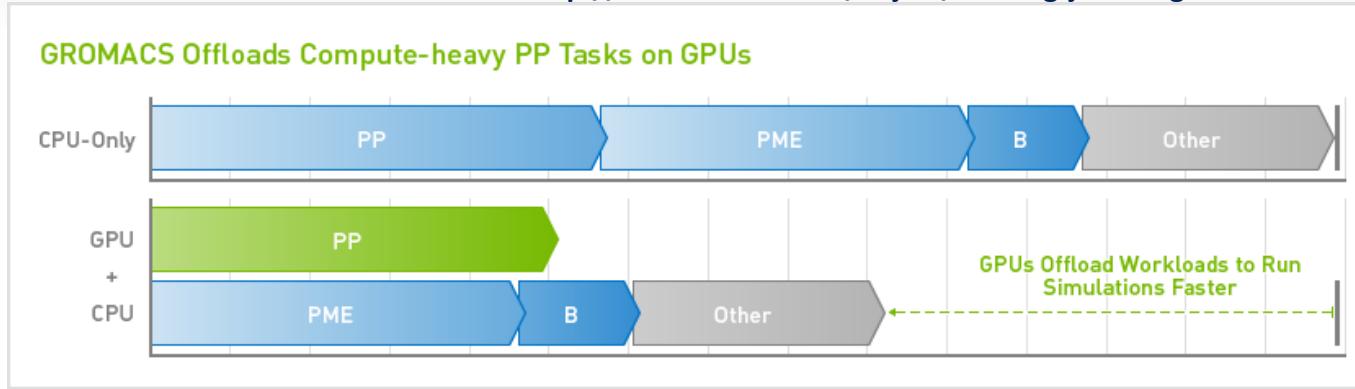
# Identification of critical amino acids



# Utilization of GPUs #1

## Running MD simulations, GROMACS

<http://www.nvidia.com/object/running-jobs-in-gromacs.html>



PP: Calculate short range non-bonded forces or particle-particle (PP) interactions

PME: Calculate an approximation for the long range part of long range non-bonded forces

- intensive internode communication
- 3DFFT

Moving PME to GPU worth only if job runs on a single node

# Utilization of GPUs #2

## Analyzing the trajectories, DiCC

$$\text{DiCC} = \frac{\nu(\mathbf{A}, \mathbf{B})}{\sqrt{\nu(\mathbf{A}, \mathbf{A})\nu(\mathbf{B}, \mathbf{B})}}$$

$$\nu(\mathbf{A}, \mathbf{B}) = \sqrt{\frac{1}{n^2} \sum_{ij}^{ij} \alpha_{ij}\beta_{ij}}$$

where

$$\alpha_{ij} = a_{ij} - a_{i.} - a_{.j} + a_{..} \quad (2)$$

The following steps are needed to calculate  $\alpha_{ij}$  from  $\{\mathbf{A}\}$ .

1. Build the  $n \times n$  matrix,  $a$ , from  $\{\mathbf{A}\}$ , where  $a_{ij}$  is the distance between the  $i$ th and  $j$ th entries of  $\{\mathbf{A}\}$ :  $a_{ij} = |\mathbf{A}^i - \mathbf{A}^j|$
2. Average the rows of  $a$ :  $a_{i.} = (1/n) \sum_j a_{ij}$
3. Average the columns of  $a$ :  $a_{.j} = (1/n) \sum_i a_{ij}$
4. Average all elements of  $a$ :  $a_{..} = (1/n^2) \sum_{ij} a_{ij}$
5. Build the  $n \times n$  matrix  $\alpha$  from  $a$  where  $\alpha_{ij} = a_{ij} - a_{i.} - a_{.j} + a_{..}$

My best case scenario:

250 amino acids

( $250 \times 250$  symmetric matrix)

$n(\text{frames}) = \text{len}(\text{vector}) = 8000$

approx 120Gb RAM

approx 1 hour run on

- Intel 8 cores

- AMD 32 cores

# Summary

- We employ *in silico* tools to dissect important changes in protein dynamics and identify critical residues for drug development.
- Accelerating running and analysis of simulations are critical.
- The most challenging steps are the interpretation and presentation of the results.

Thanks for your attention!

# Cystic fibrosis

